

#### BUSINESS INCOME UNDERREPORTING AND PUBLIC FINANCE

#### A. Bhandari, E. McGrattan, Y. Yao

February 2024

- Net government saving  $\approx -1$  \$Trillion (in 2018)
  - $\circ\,$  Current receipts: 5.6T
  - $\circ\,$  Current expenditures: 6.7 T

- Net government saving  $\approx -1$  \$Trillion
  - $\circ\,$  Current receipts: 5.6T
  - $\circ\,$  Current expenditures: 6.7T
- Untaxed business income  $\approx$  1 \$Trillion
  - $\circ\,$  Income reported to IRS: 3.2T
  - $\circ\,$  Estimate of true: 4.2T

- Net government saving  $\approx -1$  \$Trillion
  - $\circ\,$  Current receipts: 5.6T
  - $\circ\,$  Current expenditures: 6.7T
- Untaxed pass-through income  $\approx 700$  \$Billion
  - $\circ\,$  Income reported to IRS: 1.3T
  - $\circ~$  Estimate of true: 2T

- Net government saving  $\approx -5.4\%$  GDP
  - Current receipts: 27%
  - $\circ$  Current expenditures: 33%
- Untaxed pass-through income  $\approx 3.4\%$  GDP
  - $\circ\,$  Income reported to IRS: 6.4%
  - $\circ~$  Estimate of true: 9.8%

- Net government saving  $\approx -5.4\%$  GDP
  - Current receipts: 27%
  - $\circ$  Current expenditures: 33%
- Untaxed pass-through income  $\approx 3.4\%$  GDP
  - $\circ\,$  Income reported to IRS: 6.4%
  - $\circ~$  Estimate of true: 9.8%

 $\Rightarrow$  Prompting more funding for IRS enforcement



- Inflation Reduction Act:
  - $\circ~80$  billion over 10 years
  - Enforcement budget roughly doubled
- Predicted returns on investment (ROI):
  - CBO/JCT (2021): 5–9\$
  - $\circ$  Boning et al (2023): 5–12\$



- First step before using IRS micro data
  - Use public IRS compliance data (TCMP/NRP)
  - $\circ\,$  Develop dynamic GE model of tax evasion
  - Compare higher tax vs enforcement counterfactuals
- Useful for next steps
  - Data: expand collection to business filings
  - $\circ~$  Theory: add transition dynamics and welfare analysis



- Factors relevant for *dynamics of tax evasion* 
  - $\circ$  Loss of *sweat capital* (eg, reputation, brands, etc)
  - $\circ\,$  Recovery of back taxes
- Why relevant?
  - Impacts business dynamics and productivity
  - Amplifies precautionary motives
  - $\Rightarrow$  Economies with higher tax vs enforcement different



# **IRS** Compliance Data



- Tax gap = random audits + DCE adjustments
- Random audits:
  - Taxpayer compliance measurement program, 1962–88
  - National research program, 2000–present
- Detection controlled estimation (DCE) adjustments:
  - Scale up recommendations of all examiners
  - $\circ~$  Use data from examiners with largest adjustments



Gross tax gap	2001	2011	2021
Amount:			
billions of 2023\$	567	575	763
% of GDP	3.3	2.7	2.9



# What is the Main Source of the Gap?

Gross tax gap	2001	2011	2021
Amount:			
billions of 2023\$	567	575	763
% of GDP	3.3	2.7	2.9



# What is the Main Source of the Gap?

Gross tax gap	2001	2011	2021
Amount:			
billions of 2023\$	567	575	763
% of GDP	3.3	2.7	2.9
Source share:			
Underreporting	83	80	80
Underpayment	10	12	10
Nonfiling	7	8	11



What is the Main Source of Underreporting?

Source share	2001	2011	2021
Business	62	55	55
Wages & salaries	4	3	2
Other	34	42	43



- Evidence from NRP random-audit studies (no DCE)
  - $\circ\,$  All owners—ranked by reported incomes
  - Sole proprietors—ranked by understated tax
- Reveal same patterns
  - $\circ~$  Cheating is widespread
  - $\circ\,$  Few owners account for most cheating



#### **Owners Ranked by Reported Incomes**





#### **Owners Ranked by Reported Incomes**





#### **Owners Ranked by Reported Incomes**





#### **Distribution of U-to-R Ratios**





#### **Proprietors Ranked by Understated Taxes**





#### **Proprietors Ranked by Understated Taxes**





#### **Cumulated Understated Taxes**





### Nonpecuniary Motives for Compliance

- TAS surveys intended to elicit nonpecuniary motives
- How?
  - Construct samples of sole proprietors
  - Use DIF scores indicating likelihood of audit
  - Group proprietors by DIF score
  - $\circ~$  Compare responses of low-DIF and high-DIF groups



- Compare lowest and highest compliance groups
- Where similar:
  - $\circ\,$  Agree tax rules complicated
  - Know consequences of underreporting
  - Profess moral obligation to pay taxes
- Where different:
  - High-compliance more trusting in IRS/govt
  - High-compliance rely more on preparers



**Does Evasion Occur Across Income Distribution?** 

- Evidence from NRP random-audit studies (no DCE)
  - Available publicly only for total incomes
  - Shows underreporting across the distribution
- Estimates of very top depend on DCE adjustments



### Shares of Unreported Total Incomes (no DCE)





- Gross tax gap large and  $\approx 3\%$  of GDP over time
- Underreporting is main source of tax gap
- Underreporting by business owners is most of that
- Underreporting is widespread but concentrated
- Underreporting occurs across the income distribution
- Economic deterrence is only one factor driving compliance



## Theory



- Occupational choice: paid- or self-employment
- Taxpayer types: always compliant or not
- Noncompliance source: business income underreporting
- Dynamics of tax evasion:
  - Loss of reputation, business brands, customers
  - $\circ\,$  Recovery of back taxes

 $\Rightarrow$  Extends standard model of economic deterrence



• Choose business b or work w

 $V(s) = \max \{V^b(s), V^w(s)\}$ 

 $V^{i}(s) = \max_{x} \left\{ U(c,\ell) + \beta \sum_{z',\epsilon'} \pi(z',\epsilon'|z,\epsilon) \mathcal{V}(s') \right\}$ 

where  $s = (a, \kappa, d, z, \epsilon)$  and

 $\circ$  a: financial assets

- $\circ~\kappa:$  sweat capital, eg, reputation, brands, etc
- $\circ$  d: back taxes, eg, accumulated unpaid taxes
- $\circ$  z: productivity in self-employment
- $\circ~\epsilon$ : productivity in paid-employment

•  $x = [a', \kappa', d', c_p, c_c, \ell, k_p, h_p, h_\kappa, e, c^r, y_b^r]$ 



 $\mathcal{V}(a',\kappa',d',z',\epsilon')$  $=\underbrace{(1-\Pi(d'))V(a',\kappa',d',z',\epsilon')}_{}$ no audit  $+\underbrace{\Pi(d')V(a'-f_a(d'),f_r(\kappa'),0,z',\epsilon')}_{\bullet}$ 

audit











$$\begin{split} \mathcal{V}(a',\kappa',d',z',\epsilon') &= \underbrace{(1-\Pi(d'))V(a',\kappa',d',z',\epsilon')}_{\text{no audit}} \\ &+ \underbrace{\Pi(d')V(a'-f_a(d'),f_r(\kappa'),0,z',\epsilon')}_{\text{audit}} \\ &+ \underbrace{\Pi(d')V(a'-f_a(d'),f_r(\kappa'),0,z',\epsilon')}_{\text{audit}} \end{split}$$



- Goods and services:  $y_p = z f_p(\kappa, k_p, h_p)$ 
  - $\circ z =$ productivity in self-employment

 $\circ \kappa = \text{sweat capital}$ 

 $\circ k_p = \text{rented physical capital}$ 

 $\circ h_p =$ owner time in production

• Sweat investment:  $x_{\kappa} = f_{\kappa}(h_{\kappa}, e)$ 

•  $h_{\kappa}$  = owner time in brand building

 $\circ e = \text{owner expenses}$


$$a' = [(1+r)a + y_b - T^b(y_b^r) - (1+\tau_c)(c_c + pc_p) + \chi]/(1+\gamma)$$

• Sweat capital

$$\kappa' = \left[ (1 - \delta_{\kappa})\kappa + f_{\kappa}(h_{\kappa}, e) \right] / (1 + \gamma)$$

• Back taxes

$$d' = [(1 - \delta_d)d + f_d(c^r)]/(1 + \gamma)$$

• Borrowing

$$a' \ge f_a(d')$$



$$a' = [(1+r)a + y_b - T^b(y_b^r) - (1+\tau_c)(c_c + pc_p) + \chi]/(1+\gamma)$$



$$a' = [(1+r)a + y_b - T^b(y_b^r) - (1+\tau_c)(c_c + pc_p) + \chi]/(1+\gamma)$$

$$\uparrow \qquad \nearrow$$

next period and current assets



$$a' = [(1+r)a + y_b - T^b(y_b^r) - (1+\tau_c)(c_c + pc_p) + \chi]/(1+\gamma)$$

$$\swarrow \swarrow \checkmark$$
true and reported income
$$y_b = py_p - (r+\delta)k_p - e, \ y_b^r = y_b - (1+\tau_c)c^r$$



$$a' = [(1+r)a + y_b - T^b(y_b^r) - (1+\tau_c)(c_c + pc_p) + \chi]/(1+\gamma)$$

$$\uparrow \qquad \nearrow$$

taxes on business and consumption



$$a' = [(1+r)a + y_b - T^b(y_b^r) - (1+\tau_c)(c_c + pc_p) + \chi]/(1+\gamma)$$

$$\uparrow \nearrow$$
goods produced by C-corps
and pass-thrus,  $c = ces(c_c, c_p)$ 



$$a' = [(1+r)a + y_b - T^b(y_b^r) - (1+\tau_c)(c_c + pc_p) + \chi]/(1+\gamma)$$

$$\uparrow$$
transfers



$$a' = [(1+r)a + y_b - T^b(y_b^r) - (1+\tau_c)(c_c + pc_p) + \chi]/(1+\gamma)$$

$$\kappa' = \left[ (1 - \delta_{\kappa})\kappa + f_{\kappa}(h_{\kappa}, e) \right] / (1 + \gamma)$$



$$a' = [(1+r)a + y_b - T^b(y_b^r) - (1+\tau_c)(c_c + pc_p) + \chi]/(1+\gamma)$$

• Sweat capital

$$\kappa' = [(1 - \delta_{\kappa})\kappa + f_{\kappa}(h_{\kappa}, e)]/(1 + \gamma)$$

$$\uparrow$$
sweat investment (shown earlier)



$$a' = [(1+r)a + y_b - T^b(y_b^r) - (1+\tau_c)(c_c + pc_p) + \chi]/(1+\gamma)$$

$$\kappa' = \left[ (1 - \delta_{\kappa})\kappa + f_{\kappa}(h_{\kappa}, e) \right] / (1 + \gamma)$$

$$d' = [(1 - \delta_d)d + f_d(c^r)]/(1 + \gamma)$$



$$a' = [(1+r)a + y_b - T^b(y_b^r) - (1+\tau_c)(c_c + pc_p) + \chi]/(1+\gamma)$$

$$\kappa' = \left[ (1 - \delta_{\kappa})\kappa + f_{\kappa}(h_{\kappa}, e) \right] / (1 + \gamma)$$

$$d' = [(1 - \delta_d)d + f_d(c^r)]/(1 + \gamma)$$

$$\uparrow$$
current misreporting:  $y_b - y_b^r = (1 + \tau_c)c^r$ 



$$a' = [(1+r)a + y_b - T^b(y_b^r) - (1+\tau_c)(c_c + pc_p) + \chi]/(1+\gamma)$$

$$\kappa' = \left[ (1 - \delta_{\kappa})\kappa + f_{\kappa}(h_{\kappa}, e) \right] / (1 + \gamma)$$

$$d' = [(1 - \delta_d)d + f_d(c^r)]/(1 + \gamma)$$



$$a' = [(1+r)a + y_b - T^b(y_b^r) - (1+\tau_c)(c_c + pc_p) + \chi]/(1+\gamma)$$

• Sweat capital

$$\kappa' = \left[ (1 - \delta_{\kappa})\kappa + f_{\kappa}(h_{\kappa}, e) \right] / (1 + \gamma)$$

• Back taxes

$$d' = [(1 - \delta_d)d + f_d(c^r)]/(1 + \gamma)$$

• Borrowing

$$a' \ge f_a(d')$$



- Standard dynamic program for workers, except
  - $\circ\,$  Sweat capital decays without use
  - Back taxes not forgiven
- Standard dynamic program for C corporations
- Public financing (G&S plus transfers) with
  - $\circ~$  Taxes on consumption and all forms of income
  - Fines if caught evading taxes

(Details in slide deck appendix)



## **Qualitative Predictions**



**Predictions of Increased Enforcement** 

- Lower precautionary motives
  - Financial assets used to pay future fines
  - Borrowing constraints less binding
- Lower sweat capital stocks
  - $\circ\,$  Brand assets lost with exposed tax evasion
  - Business ages lower with more exit/entry
  - Business productivity higher due to selection



## Quantitative Results



• Audit probability,  $\Pi(d') = \pi$ ,  $\pi$  varied

• Fines, 
$$f_a(d) = \bar{p}d, \ \bar{p} = 4$$

- Reputational cost,  $f_r(\kappa) = 0$  if non-compliant
- Underreporting,  $f_d(c^r) = \tau_b(1+\tau_c)c^r$ ,  $\tau_c = .065$ ,  $\tau_b = .4$
- Back taxes depreciation,  $\delta_d = 20\%$

*Note:* See paper for full calibration



- Vary audit probability  $\pi$
- Record impacts for owners by type



	% Change from $\pi = 1\%$ to				
Owner type:	2%	3%	5%	7%	
Non-compliant	-21	-35	-60	-70	
Compliant	11	23	43	45	
All owners	-6	-9	-12	-17	

 $\Rightarrow$  Large compositional shift



	$\gamma_0$ Change from $\pi = 1\gamma_0$ to				
Owner type:	2%	3%	5%	7%	
Non-compliant	-4	-9	-29	-57	
Compliant	5	12	28	39	
All owners	-10	-18	-30	-36	

% Change from  $\pi = 1\%$  to

 $\Rightarrow$  Large drop in precautionary saving



### % Change from $\pi = 1\%$ to

Owner type:	2%	3%	5%	7%
Non-compliant	9	16	25	27
Compliant	0	0	-1	-2
All owners	6	9	10	11

 $\Rightarrow$  Large increase in productivity due to selection



	% Change from $\pi = 1\%$ to				
Owner type:	2%	3%	5%	7%	
Non-compliant	-9	-14	-37	-31	
Compliant	12	13	21	21	
All owners	-4	-9	-15	-12	

 $\Rightarrow$  Large drop in business assets with more audits



#### % Change from $\pi = 1\%$ to

Owner type:	2%	3%	5%	7%
Non-compliant	-33	-50	-64	-68
Compliant	5	8	15	18
All owners	-30	-42	-49	-49

 $\Rightarrow$  Large drop in age with more audits, less capital



### Business Age Distributions ( $\pi = 1\%$ and 7%)





- Two rankings of interest:
  - By misreporting rates:  $100(y_b y_b^r)/y_b$
  - $\circ\,$  By business receipts:  $py_p$
- Looking for patterns of underreporting
  - $\circ\,$  Few owners account for most cheating
  - $\circ~$  Cheating occurs across the income distribution



% of Income Underreported

% Deviations	None	<80	80-90	90-99	>99
Business age	-37	-18	19	4	67
Financial assets	5 - 40	-63	-30	-4	79
Sweat capital	-21	63	59	51	23
Productivity	7	11	14	13	-16
True income	-10	111	107	93	-7
% Owners	59	2	2	4	33

 $\Rightarrow$  Concentrated, but too many able to get income to 0



Quintiles of Receipts

% Deviations	(1)	(2)	(3)	(4)	(5)
Business age	-21	6	-21	14	21
Financial assets	19	12	-1	-6	-23
Sweat capital	-57	-13	-15	36	49
Productivity	-21	-17	10	14	14
True income	-113	-68	5	72	104
% Underreporting	32	47	26	36	57

 $\Rightarrow\,$  Cheating occurs throughout the size distribution



- Two ways to raise same revenues
  - Higher enforcement:  $\pi = 2\% \rightarrow \pi = 5\%$
  - Higher tax rate on business:  $\tau_b = 40\% \rightarrow \tau_b = 47\%$
- Raise revenues by 3% relative to  $\pi = 2, \tau_b = 40$  baseline



% Change in:	More Audits $\pi=5 \text{ vs } 2\%$	Higher Tax $\tau_b = 47 \text{ vs } 40\%$
# of Owners	-7	-4
Non-compliant	-50	12
Compliant	29	-18
Business age	-28	16
Financial assets, $a$	-22	14
Sweat capital, $\kappa$	-11	6
Back taxes, $d$	-66	44
Productivity, $z$	6	-3
Business income, $y_b$	4	4



- Higher enforcement vs taxation
  - Most evident in composition of businesses/owners
  - Not evident in aggregate business income
- Need transitional dynamics to do proper welfare analysis



- Data: gather relevant IRS micro data
  - $\circ~$  Current NRP studies only work with 1040
  - $\circ\,$  Want to expand analysis to business filings
- Theory: add transitional dynamics
  - Current analysis is steady state
  - Want to analyze Inflation Reduction provisions
  - Want to do full welfare analysis with transition



# Appendix



• Workers choose 
$$x = [a', c_p, c_c, \ell]$$
 to solve

$$V^{w}(s) = \max_{x} \left\{ U(c,\ell) + \beta \sum_{z',\epsilon'} \pi(z',\epsilon'|z,\epsilon) \mathcal{V}(s') \right\}$$

subject to

$$a' = [(1+r)a + w\epsilon h_w - T^w (w\epsilon h_w) - (1+\tau_c)(c_c + pc_p) + \chi]/(1+\gamma)$$
$$\kappa' = (1-\lambda_\kappa)\kappa/(1+\gamma)$$
$$d' = (1-\lambda_d)d/(1+\gamma)$$
$$1 = \ell + h_w$$



• Corporations choose  $x_c, n_c$  to solve

$$V^{c}(k_{c}) = \max\left\{ (1 - \tau_{d})d_{c} + \frac{1 + \gamma}{1 + r}V^{c}(k_{c}') \right\}$$

subject to

$$d_c = AF(k_c, n_c) - wn_c - x_c - \tau_p(y_c - wn_c - \delta_k k_c)$$
$$x_c = (1 + \gamma)k'_c - (1 - \delta_k)k_c$$



$$g + \chi + (r - \gamma)b = \tau_c \int (c_{ci} + pc_{pi}) di +$$
  
+  $\tau_d (y_c - wn_c - (\gamma + \delta_k)k_c - \tau_p (y_c - wn_c - \delta_k k_c))$   
+  $\tau_p (y_c - wn_c - \delta_k k_c) + \int T^n (w\epsilon_i n_i) di$   
+  $\int T^b (y_{ri}^b) di + \int \mathbf{1}_i f_a(d_i) di$